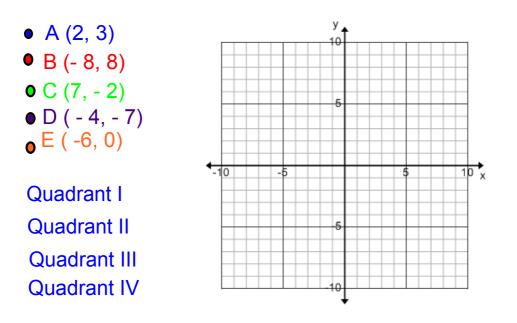
Warm Up: Plotting points on a Cartesian Plane

Given the following items place them appropriately on the Cartesian Plane:



MPM 1DI - Unit 4 Modelling with Graphs

(Chapter 5 in textbook!)

Day 3 - <u>Slope</u>

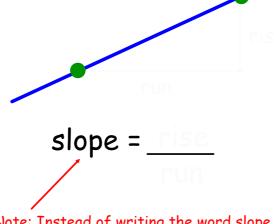
Today we will:

- 1. Define slope.
- 2. Identify different methods to determine slope of a line.

Lines and Slope

The <u>slope</u> of a line is the <u>steepness</u> of the line.

To calculate the slope, we look at the change in distance, both vertically and horizontally, from one point to another point on the line.



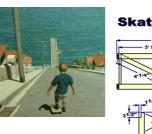
Note: Instead of writing the word slope all the time, in math we use a lower case m. This comes from the french word "montier" which means to go up!

Why is being able to determine the steepness of

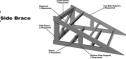












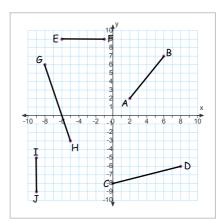
What is the slope of the skateboard ramp above? slope = <u>rise</u> run

slope =

Explain the meaning of the slope in this situation.

feet run horizontally

Example 1: Determine the slope of each line segment given on the graph below.

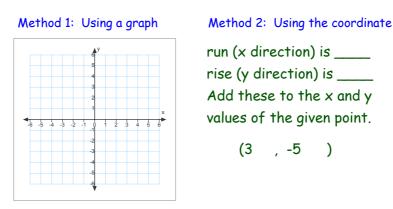


Is there a way to calculate the slope if we are not given the graph, but instead just have two points that are on the line?

 $m = \frac{\text{change in y}}{\text{change in x}}$ $m = \frac{y_2 - y_1}{x_2 - x_1}$

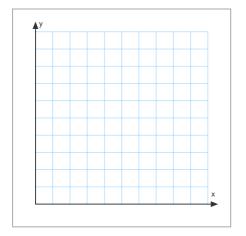
Now let's try it with the points A & B above!

Example 2: Given that a line has a slope of 4 and goes through the point B(3, -5), find the coordinates of another possible point on the line.



Example 3: Determine the slope of the line given by:





X	Y
0	50
5	70
10	90
15	110
20	130

Method 2: Using the table

m = <u>change in y</u> change in x

Today's Practice Questions:

pg 259 - 263 # 1, 3, 5, 7, 9, 11, 13, 15, 19

Slopes.ppt